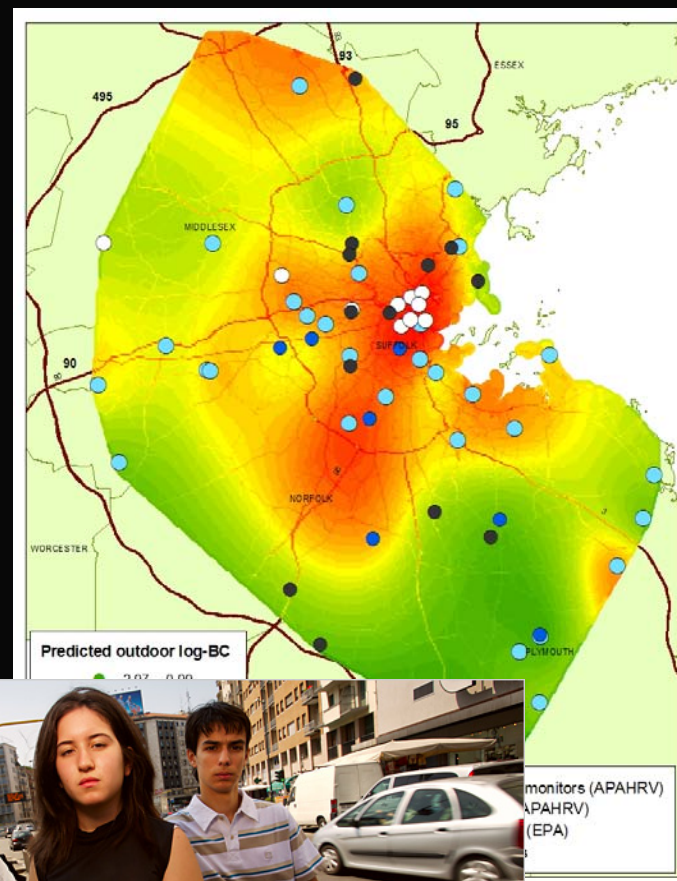
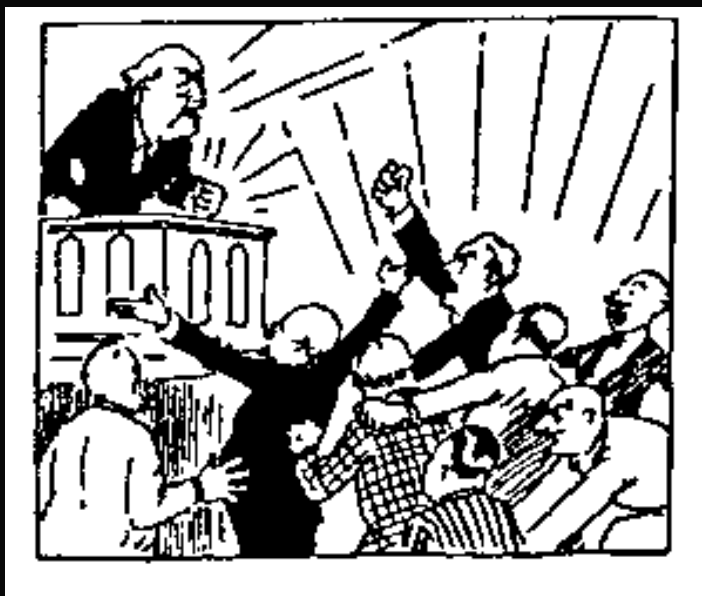


# Community-based Risk Assessment – a statistician's perspective

**Louise Ryan**

Department of Biostatistics

Harvard School of Public Health



# Outline

- ❑ Use some examples to
  - Illustrate challenges
  - Describe useful statistical tools and areas where more research would be helpful
- ❑ My examples
  - Classic cancer cluster investigation
  - Home Allergen Study
  - Exposure assessment for various Boston based studies
  - Mercury and IQ

# Cancer risks on Cape Cod



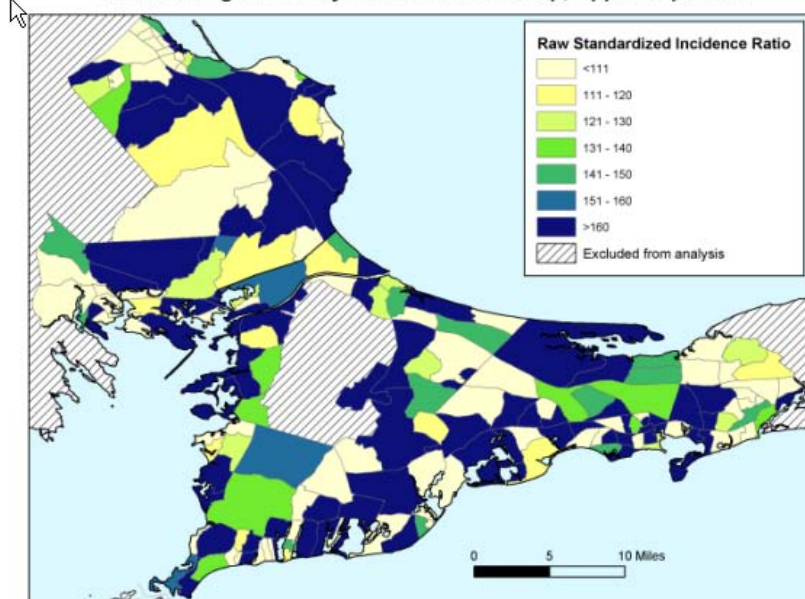
- ❑ Citizens near air-force base concerned about excess cancer rates reported on upper cape
- ❑ Clear evidence of multiple exposures
- ❑ Excesses small to moderate (SIRs around 120)
  - Power limited by total pop of ~30K
  - No individual exposure assessment

# Cape Cod - continued

- ❑ Data very noisy – smoothing no help
- ❑ Very frustrating experience for all
- ❑ Need guidelines on what's achievable



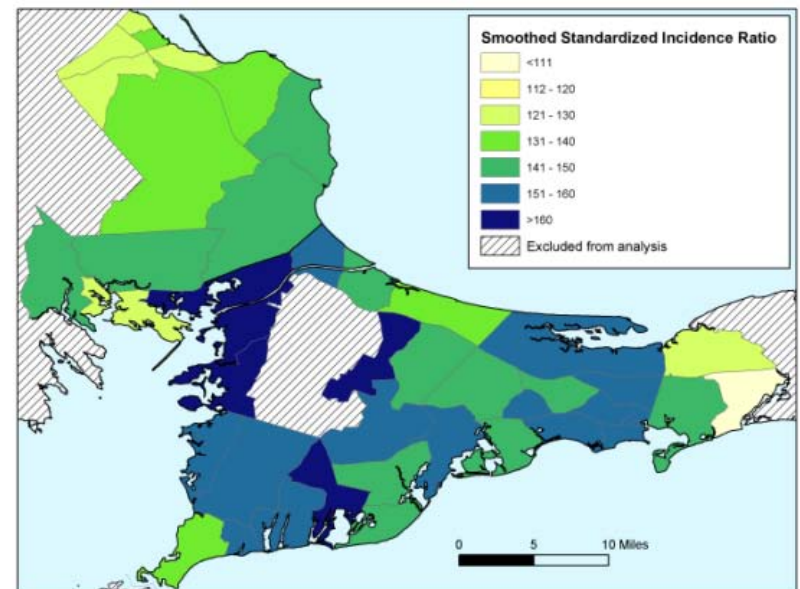
Female Lung Cancer by Census Block Group, Upper Cape Cod



9/14/2001

Sources: MA Dept. of Public Health, Harvard School of Public Health

Female Lung Cancer by Census Tract, Upper Cape Cod



9/13/2001

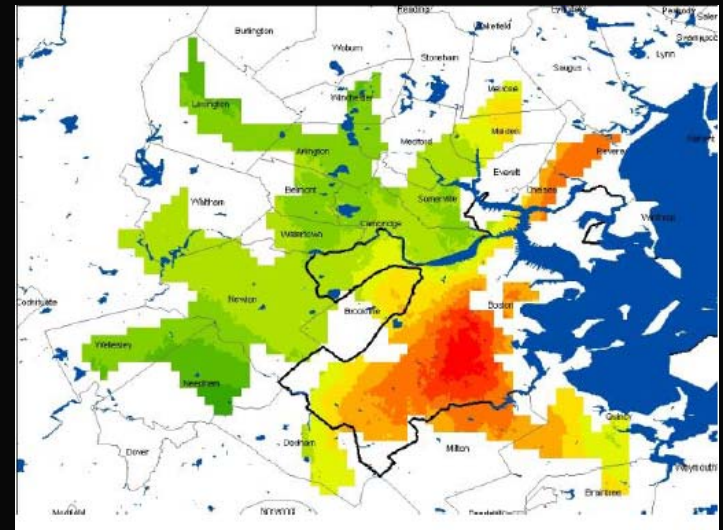
Sources: MA Dept. of Public Health, Harvard School of Public Health

# Home Allergen Study



- ❑ Mother/child pairs recruited at birth. Followed for asthma, allergy, respiratory disease
- ❑ Interest in allergens, molds, adjusting for social factors
- ❑ Geocode study subjects and assign areal level characteristics (e.g. based on census)

Intriguing geographical variation in maternal serum IGE. But geoadditive modeling (Kammen & Wand) suggests “hotspot” confounded with race, poverty.

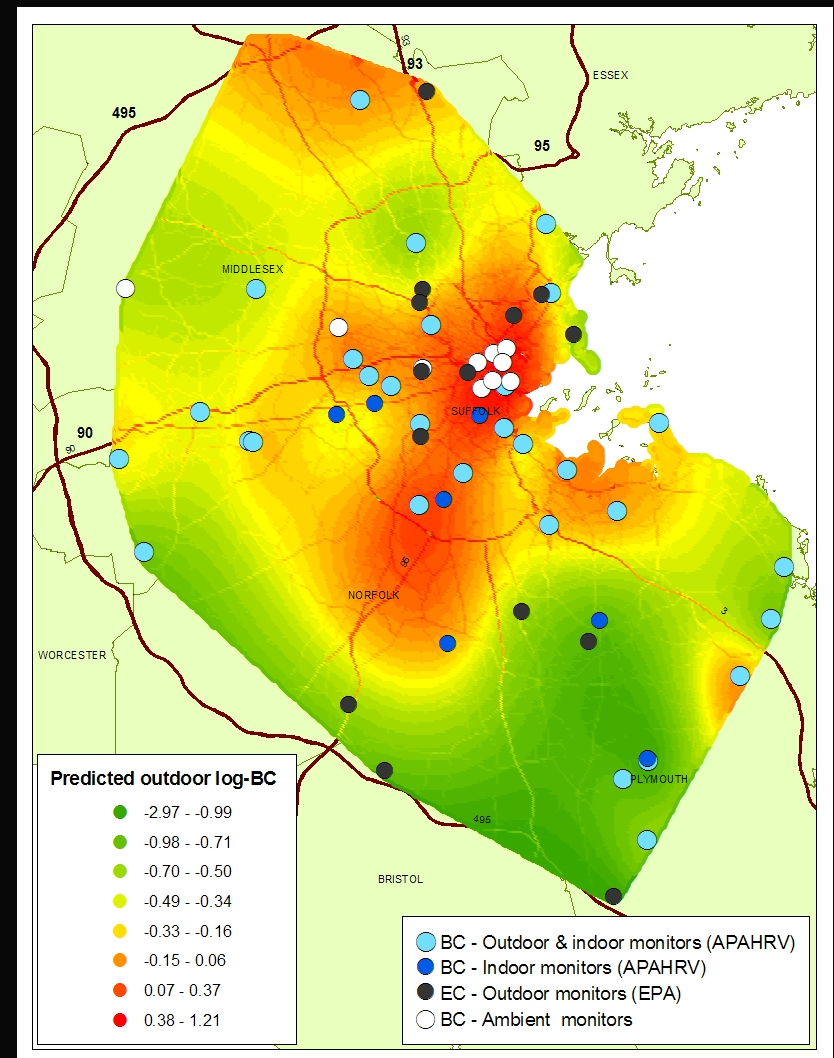


$$Y = \beta_0 + \beta X_1 + g(X_2) + h(lat, lon) + \varepsilon$$



# Boston and New England studies of cardiovascular response to air pollution

- ❑ Estimate exposure from
  - EPA EC monitors
  - Various Indoor & outdoor monitors (different studies)
  - GIS-based measures (traffic density, potentially climate, land use etc)
- ❑ Goal – relate predicted exposures to health outcomes (heart rate variability, arrhythmias, birth weight), accounting for estimation error
- ❑ Latent variable formulation very promising

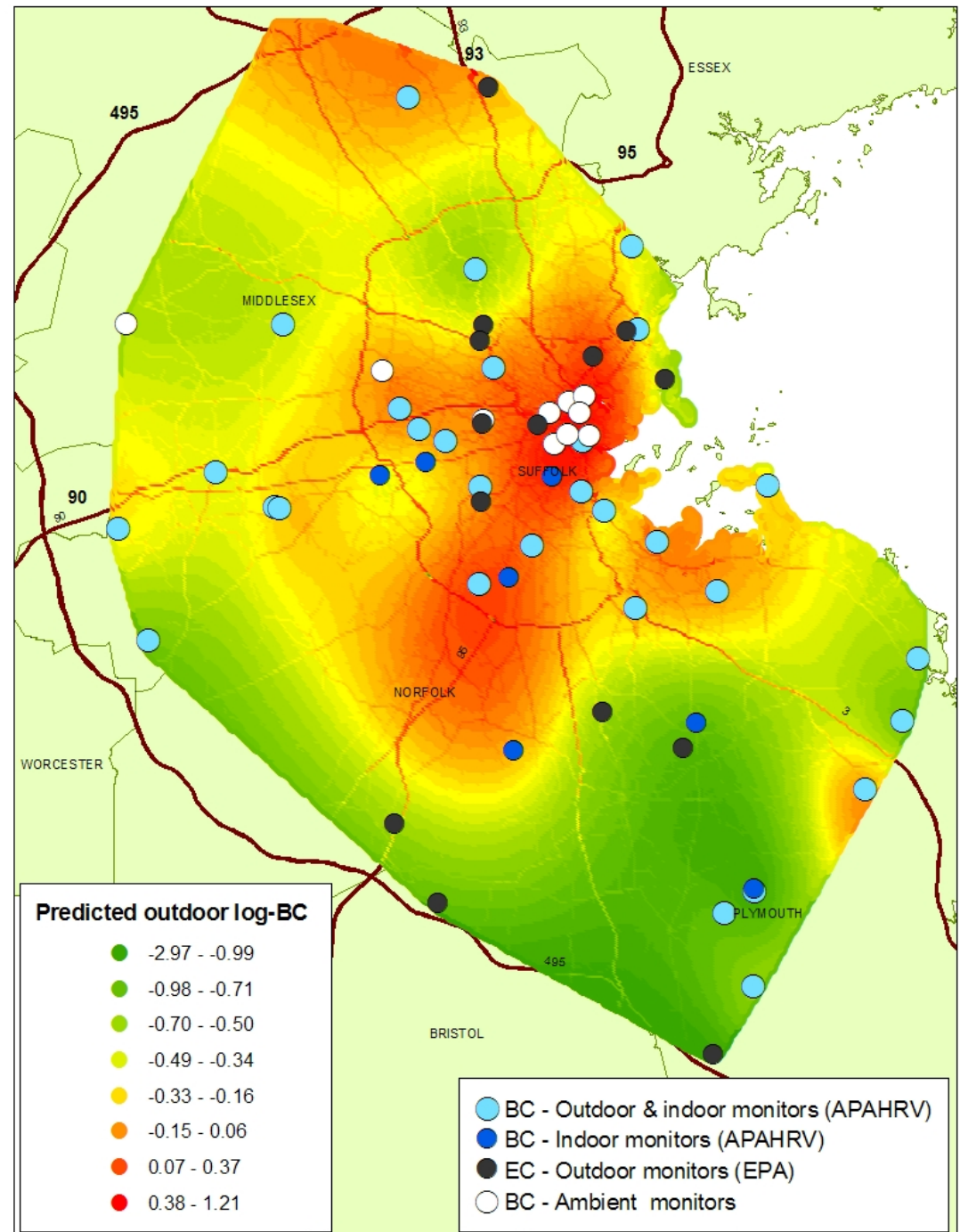


## Note

- Higher predictions near main roads
- Smoothness of estimated surface elsewhere

## Further directions

- Use “science-based” models to inform the modeling (Fuentes and Raftery, 2005).
- Unusual data sources (e.g. satellites)



# Features so far

- Sparse data
- Clever combination of data from multiple sources
- Spatio-temporal modeling

Lets look at another example (methyl mercury) where hierarchical model helps to make sense of limited data. Not a classic community-based risk assessment, but illustrates many of the ideas



# Mercury

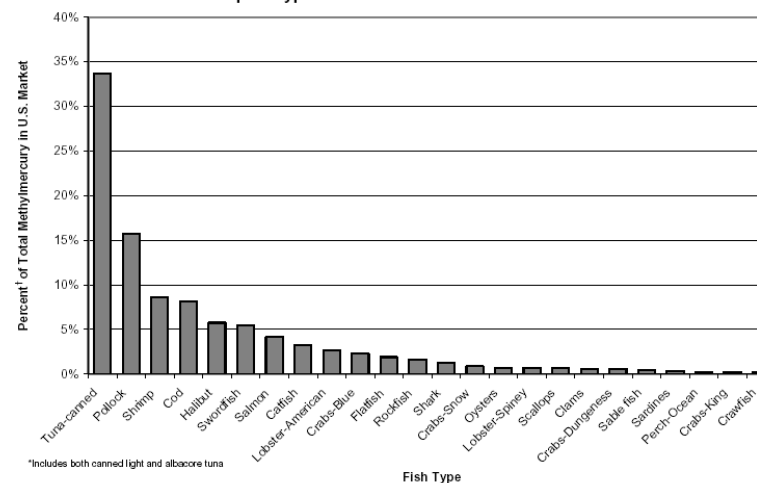
Released by coal-burning powerplants, bioaccumulates through foodchain to methylmercury, human exposure via fish consumption



High level exposures clearly toxic, low level chronic effects controversial

## Fish Consumption Impacts Our Mercury Exposure

Percent Contribution to Per Capita Methylmercury Intake by Fish Type for Top 24 Types of Fish in U.S. Commercial Seafood Market



\*Includes both canned light and albacore tuna

\*Estimate based on the product of per capita fish consumption rates and mean methylmercury concentrations of each type of fish (Carrington and Bolger, 2003)

Sources: NESCAUM briefing to EPA

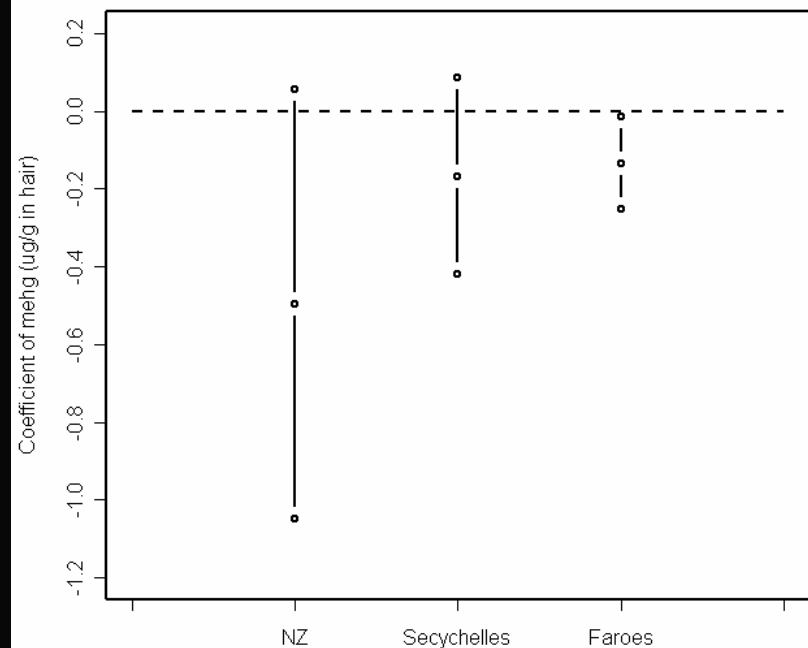
# The controversy

- ❑ **Conflicting conclusions from two large, well conducted epidemiological studies**
  - Seychelles study (n=779) - no effect
  - Faroes study (n=1022) - effects
- ❑ **Both studies**
  - had prenatal enrollment
  - had reliable biomarkers of exposure
  - adjusted for similar important confounders
  - measured similar outcomes
- ❑ **NAS confirmed quality of both studies, identified a third. Argued against focus on p-values. Studies less discrepant if focus is on dose response estimation.**

# MEHG and IQ (7-9 years)

- ❑ IQ has been “monetized”
- ❑ IQ is related to other endpoints
- ❑ Study results
  - .50 (.28) (NZ)
  - .17 (.13) (Seychelles)
  - .13 (.061) (Faroes)
- ❑ Can we combine data?

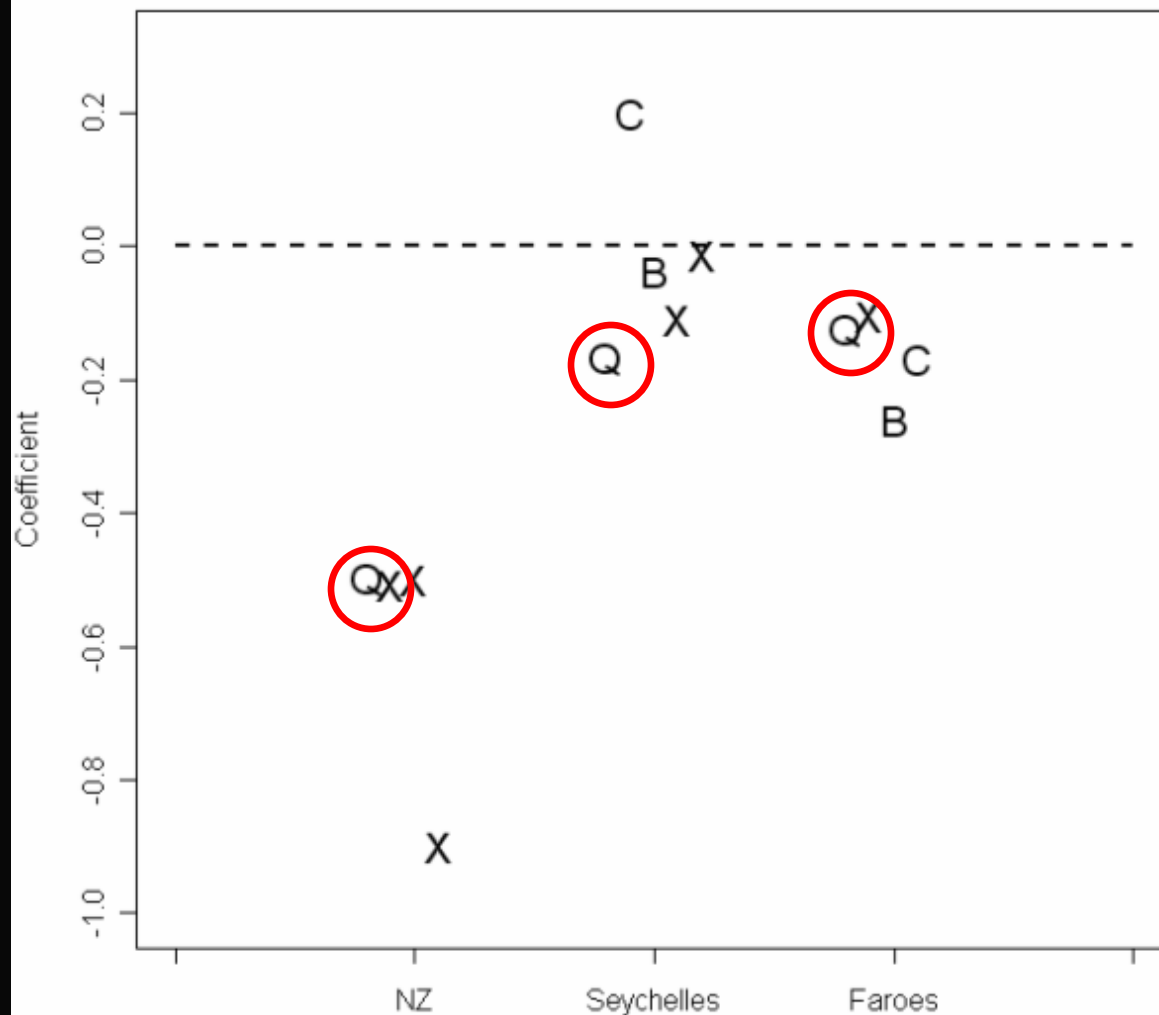
Estimated regression coefficients and 95% CIs



## Endpoints Available in the three studies

Study	Age	Endpoint	Cognition/ Achievement	Attention/ Behavior	Motor
Seychelles <sup>1</sup>	9 years	WISC-III	X		
		CVLT (short term)	X		
		BNT (total)	X		
		WRAML	X		
		VMI	X		
		CPT Reaction time		X	
		CBCL		X	
		Finger Tapping			X
Faroes <sup>2</sup>	7 years	Full scale IQ <sup>3</sup>	X		
		Blocker Visual (copying)	X		
		BNT (no cues)	X		
		CVLT (short term)	X		
		CPT Reaction Time		X	
		Finger Tapping			X
		Hand-eye Coordination			X
New Zealand <sup>4</sup>	6-7 yrs	WISC-R	X		
		FOLD-SL	X		
		WISC-RP (Performance IQ)	X		
		MCC-PP	X		

# Graphical representation



Q – IQ

B – Boston Naming

C – California  
Verbal Learning

X – other cognitive  
endpoints

Dashed line – no  
effect



# Random effects formulation

- Express data as set of estimated dose response coefficients, standard errors and study and endpoint codes

$\beta$	$\tau^2$	Study	Endpoint
-.17	.13	1	1
-.124	.057	2	1
-.50	.28	3	1
.20	.154	1	2
Etc			

$$\hat{\beta}_i = \mu + \eta_{study_i} + \delta_{endpoint_i} + \varepsilon_i, \quad \varepsilon_i \sim N(0, \tau_i^2)$$

$$\eta_{study_i} \sim N(0, \sigma_{study}^2), \quad \delta_{endpoint_i} \sim N(0, \sigma_{endpoint}^2)$$

# Hierarchical Modeling Results

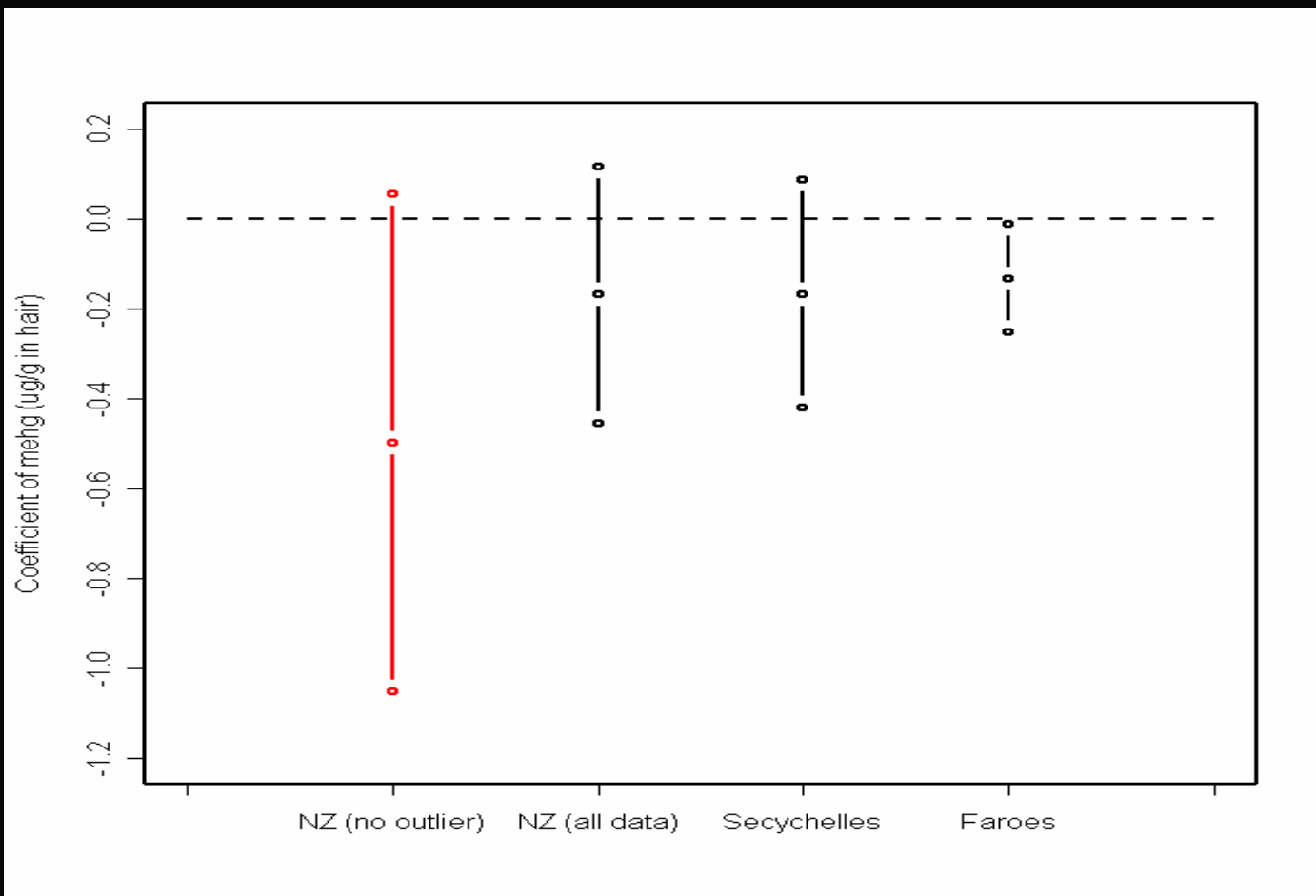
- ❑ Not enough data to reliably estimate separate study and endpoint variance components
- ❑ Assume  $\sigma^2_{\text{study}} = R\sigma^2_{\text{endpoint}}$  and repeat for different R

R	$\hat{\sigma}_{\text{study}}(se)$	$\hat{\beta}_{IQ}(se)$	95% Conf. Int	DIC*
3.0	.0343 (.0303)	-.125 (.054)	(-0.248, -0.034)	-3.704
2.5	.0379 (.0328)	-.126 (.0559)	(-0.256, -0.033)	-3.873
2	.0429 (.0362)	-0.128 (0.0587)	(-0.265, -0.030)	-4.112
1.5	.0499 (.0408)	-0.131 (.063)	(-0.281, -0.028)	-4.455
1.0	.0612 (.0476)	-0.136 (.0699)	(-0.305, -0.023)	-4.997
.5	.0420 (.0505)	-0.127 (0.0569)	(-0.259, -0.031)	-4.103
.4	.0371 (.0324)	-0.126 (.0541)	(-0.251, -0.033)	-3.846
.25	.0286 (.0262)	-0.123 (.0498)	(-0.236, -0.037)	-3.423

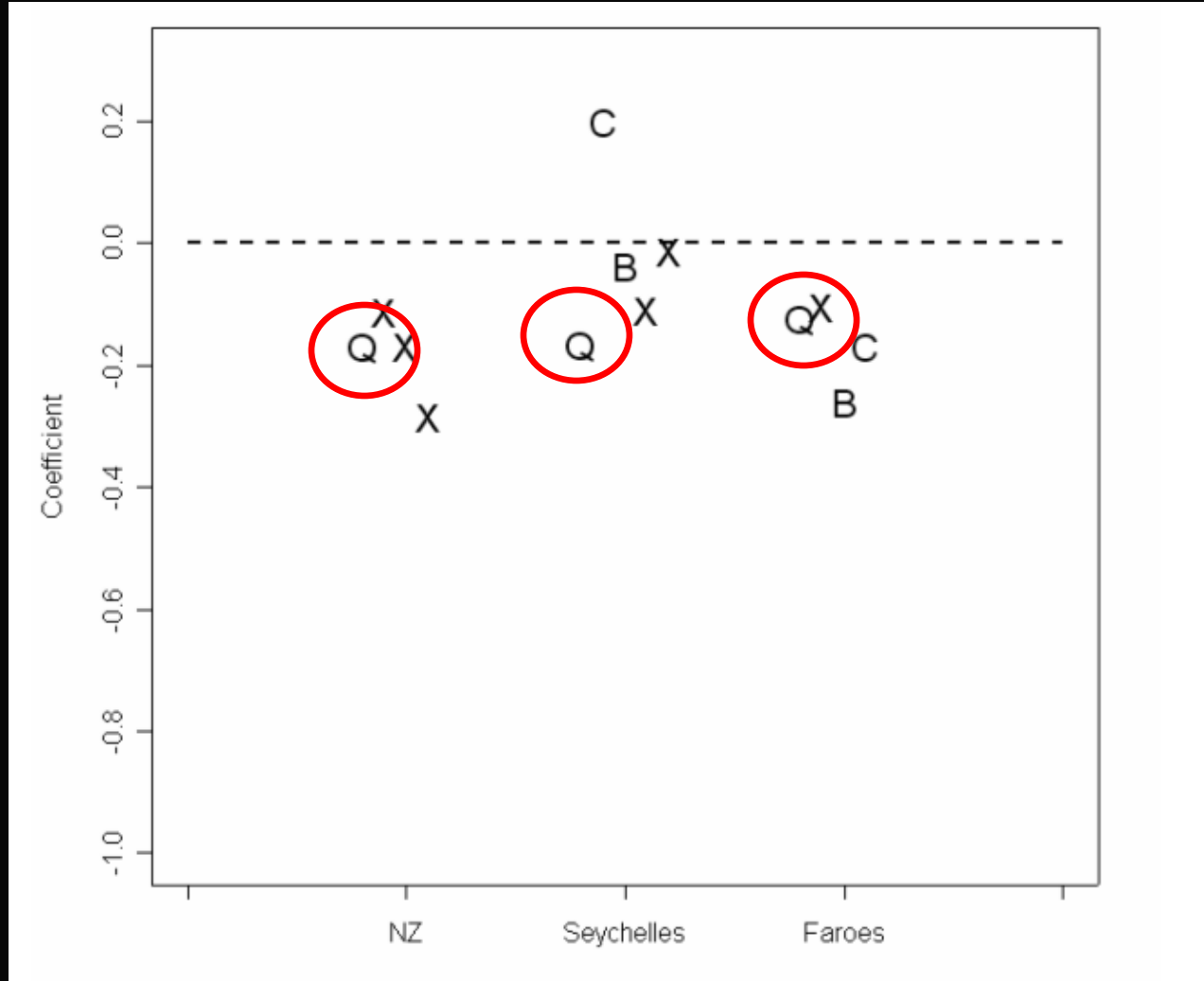
\* Smaller values of DIC indicate better fit

# Effect of the NZ outlier

NZ had one extremely exposed child who was just fine!



# Including the NZ outlier



**Results  
appear more  
concordant**

**Q - IQ**

# More sensitivity analyses

- ❑ Hair/blood ratio
- ❑ Alternative scaling of Faroes IQ – estimated IQ effect strengthens to -.23

Analysis	Hair/blood ratio*	$\hat{\sigma}_{study}$ (se)	$\hat{\beta}_{IQ}$ (se)	95% Conf Int
Exclude NZ outlier	250	.0531 (.0474)	-.115 (.0592)	(-0.266, -0.018)
Exclude NZ outlier	200	.0499 (.0408)	-.131 (.0632)	(-0.281, -0.028)
Include NZ outlier	250	.0304 (.0250)	-0.096 (.0360)	(-0.173, -0.025)
Include NZ outlier	200	0.0389 (.0292)	-0.108 (.0436)	(-0.204, -0.025)
Alternative Faroes IQ	250	0.1027 (.0669)	-0.196 (.1091)	(-0.451, -0.030)
Alternative Faroes IQ	200	0.1240 (.0708)	-0.233 (.1213)	(-0.512, -0.038)

\* ppb mercury in hair to ppb mercury in cord blood

Range -.10 to -.23

All exclude 0



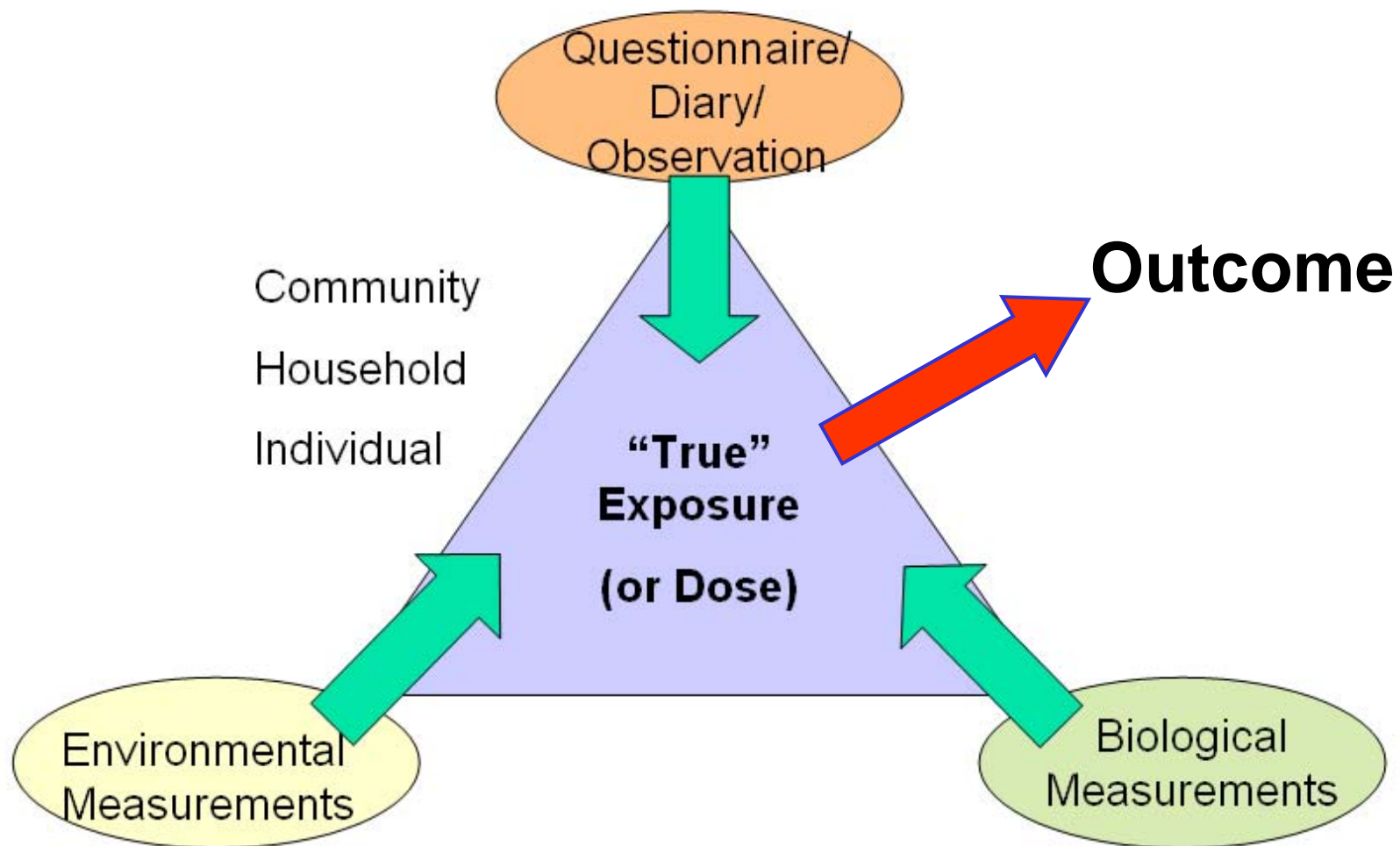
# What have we learned?

- ✓ Uncertainty tends to be large when dealing with data collected in real world communities
- ✓ Need to measure characteristics of community, as well as individuals
- ✓ Major benefits to statistical techniques (Bayes) to synthesize information from multiple sources
  - Data (similar or unrelated studies)
  - Expert opinion
- ✓ Some good tools around
  - Spatio-temporal models
  - Hierarchical models
- ✓ Don't over-interpret model results, p-values.
- ✓ Do lots of sensitivity analysis

“Bayes was a bad boy” Pasky

# Remaining frontiers?

- ✓ **Spatio-temporal models still relatively primitive**
- ✓ **Good tools around for combining information. Further work needed to finesse them to handle multiple scales, levels of accuracy etc**
- ✓ **Design a neglected topic! We've worked with Battelle to develop strategies for clever subsampling to maximize information/minimize cost. Working on extensions to spatial setting (with ACC funding)**



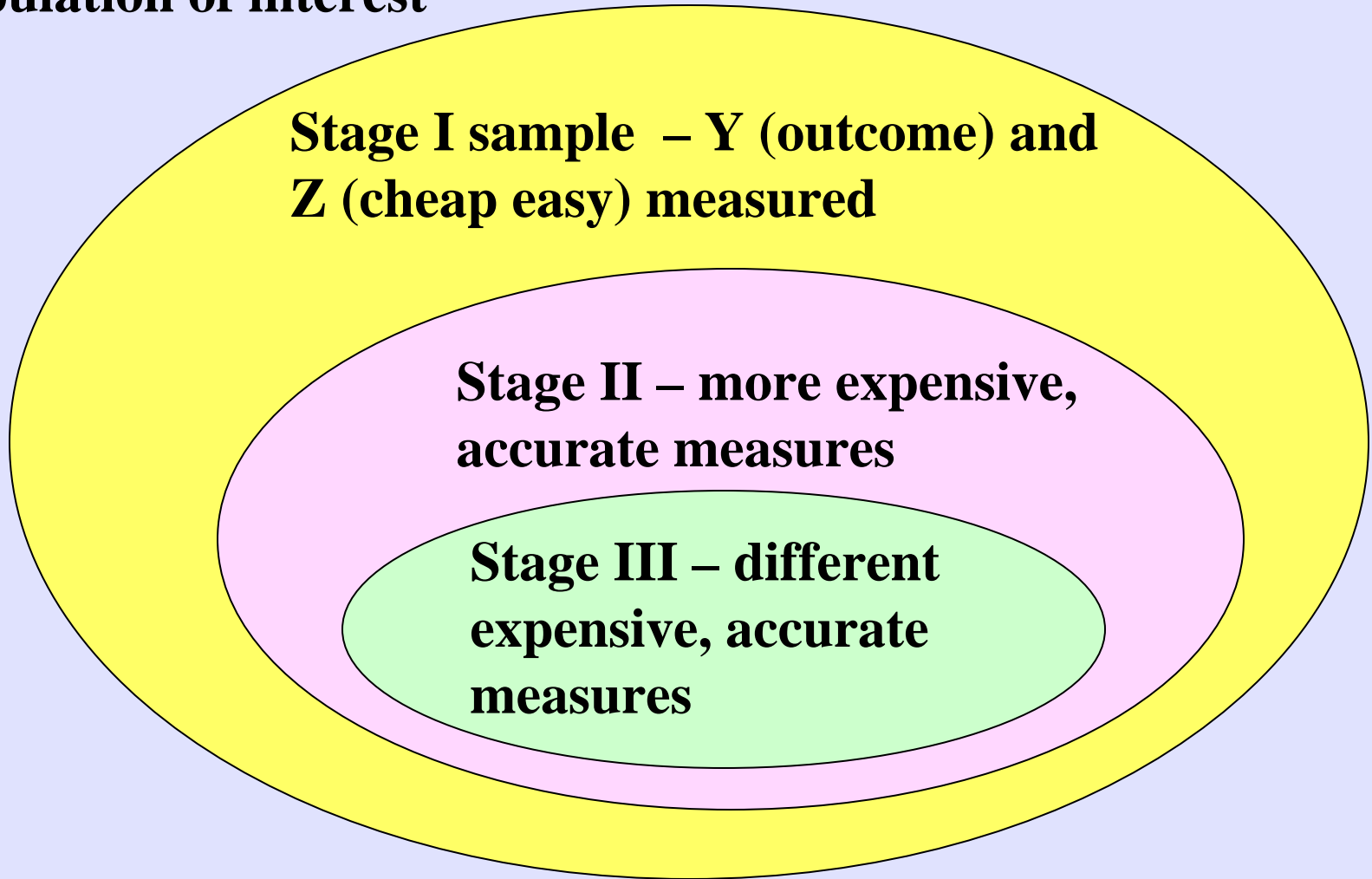
# Multi-Stage Sampling Paradigm

**Population of interest**

**Stage I sample – Y (outcome) and  
Z (cheap easy) measured**

**Stage II – more expensive,  
accurate measures**

**Stage III – different  
expensive, accurate  
measures**



# Case Example

$Y \sim \text{Bin}(P_Y = 0.003)$       Cost associated with measuring  $Y = \$20$

$X \sim N(0,1)$       Cost for exposure assessment = \$1000

$\Psi_{Y,X} = 2.0$       Odds ratio between  $X$  and  $Y$

Total Cohort Size = 100,000

Surrogate  $Z$  costs \$50 and has correlation .5 with  $X$

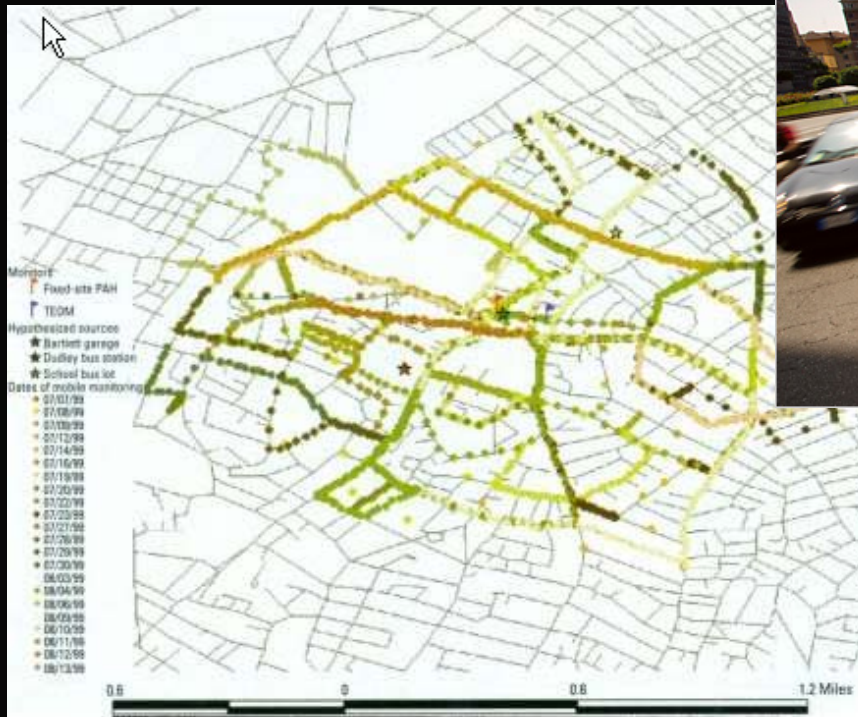
We determined designs with 80% power

Design	Random Sample		Covariate Dependent Sample (for X)		Outcome Dependent Sample (for X)	
	Cost	N	Cost	N	Cost	N
Analyze subset only	Cost = \$5,606,940    n =5,497					
Incorporate surrogate	\$1,813,330 (32%)	$n_Y=23,319$	\$1,791,020 (32%)	$n_Y=23,686$	\$404,520 (7.2%)	$n_Y=5,536$
		$n_Z=23,319$		$n_Z=23,686$		$n_Z=5,536$
		$n_X=181$		$n_X=133$		$n_X=17$

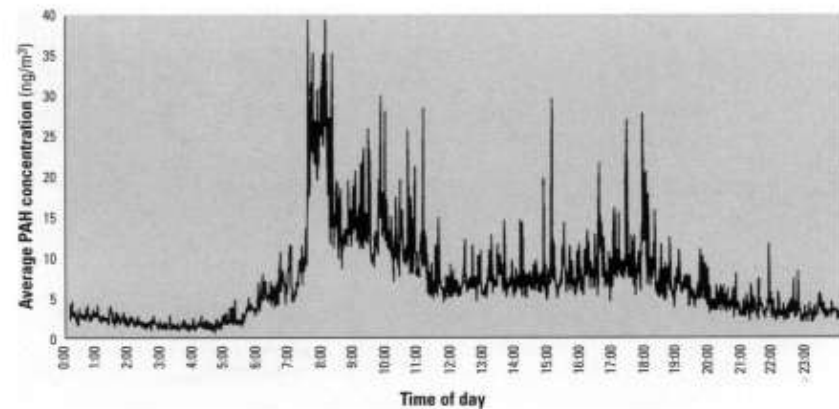


# Frontiers - continued

- ✓ Spatial design in general very interesting.  
What are the properties of “Roving Designs”?



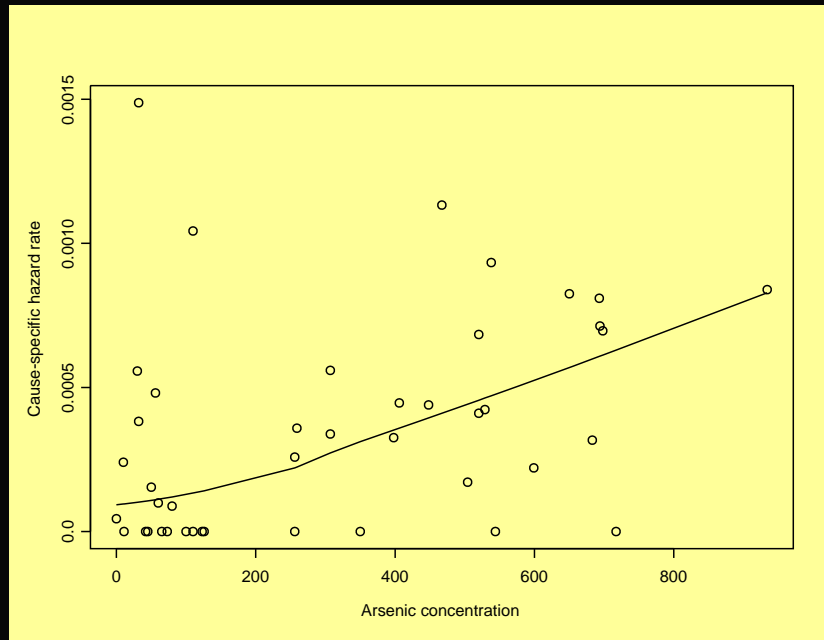
**Figure 1.** Map of monitoring strategy. DustTrak ( $PM_{2.5}$ ) and PAS 2000CE (PAH) were used for mobile monitoring between 0700 hr and 1100 hr on specified dates, with fixed-site measurements (PAS 2000CE for PAH and TEOM for  $PM_{2.5}$ ) taken 24 hr/day throughout sampling period. Note that many locations were covered multiple times by mobile monitoring, and only the latest date is visible on the map.



**Figure 2.** Diurnal variability in fixed-site, 1-min average PAH concentrations near Dudley Square, averaged across sampling days in July/August 1999 (ng/m<sup>3</sup>).

# Arsenic in drinking water

Arsenic is a naturally occurring metal. Humans exposed to high levels in Taiwan, Chile & Bangladesh.



Data from Taiwanese farming community very noisy

# Adjusting for drinking variation

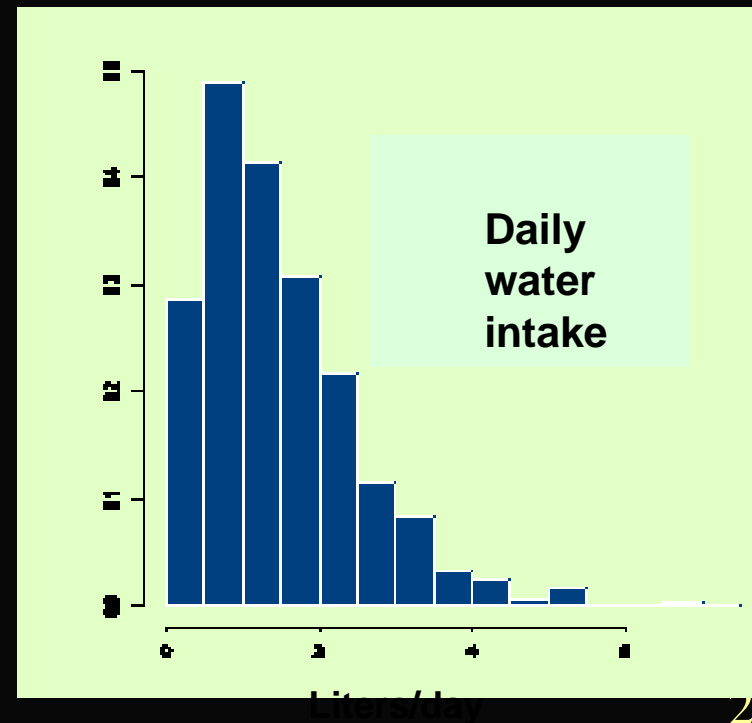
Consider outcome for a single individual and suppose

$$\text{Logit}(\text{Pr}(Y=1)) = \beta_0 + \beta_1 * D * C$$

$D$  = amount drunk,  $C$  = concentration in the water

$D$  is unobserved, but distribution estimable from an EPA survey.

What is impact on estimation of  $\beta_1$  (compared to assigning everyone their village well concentration)?

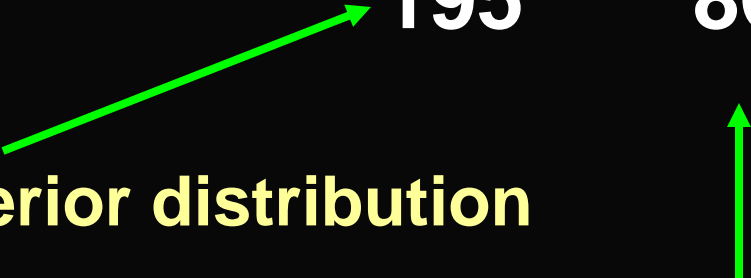


# Impact on Benchmark Dose (dose corresponding to 1% risk)

<u>Adjustment?</u>	<u>BMD</u>	<u>BMDL</u>
No	165	145
Yes	195	86

mean of posterior distribution

lower 5% percentile



# Thanks!

**Come to Duke tomorrow for more details  
on the sub-sampling project**